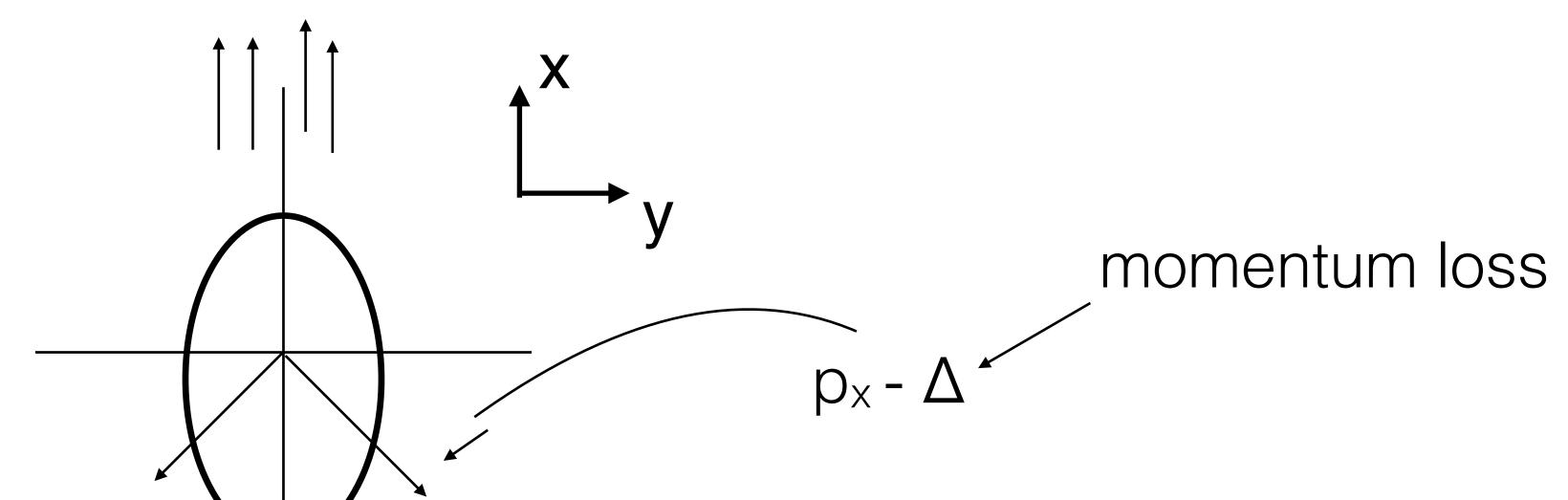
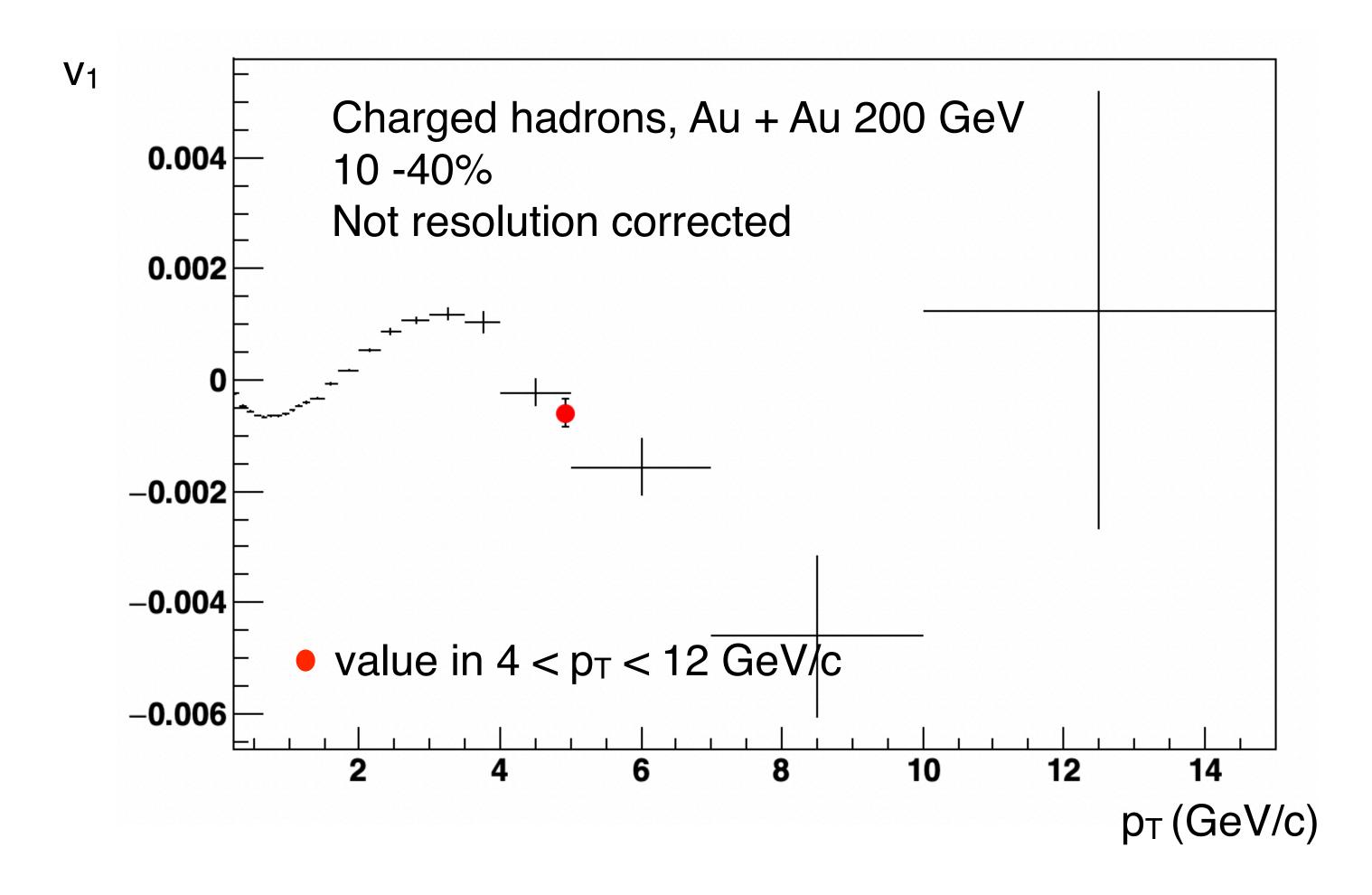
## More momentum



Less momentum

Selecting on  $p_T$  requires  $p_y = \text{sqrt}(p_T^2 - (p_x - \Delta)^2)$  but directional symmetry for  $p_y ==> < p_y> = 0$ 

True for all selections except for  $p_y == 0$ , but this is a very small fraction of all jets in the sample



Value measured in a large p<sub>T</sub> bin consistent with weighted average of differential measurements

 $v_1$  measured is a well defined physical quantity,  $\langle p_x \rangle / p_T$ 

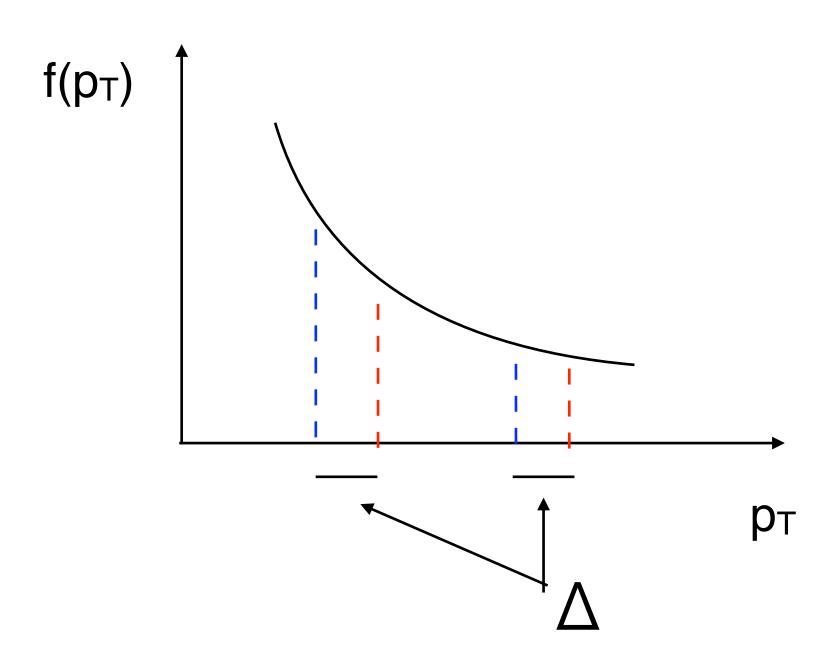
If you look at only the sample with  $p_y = 0$  and define a  $v_1$  from the number asymmetry from  $p_T$  shift,

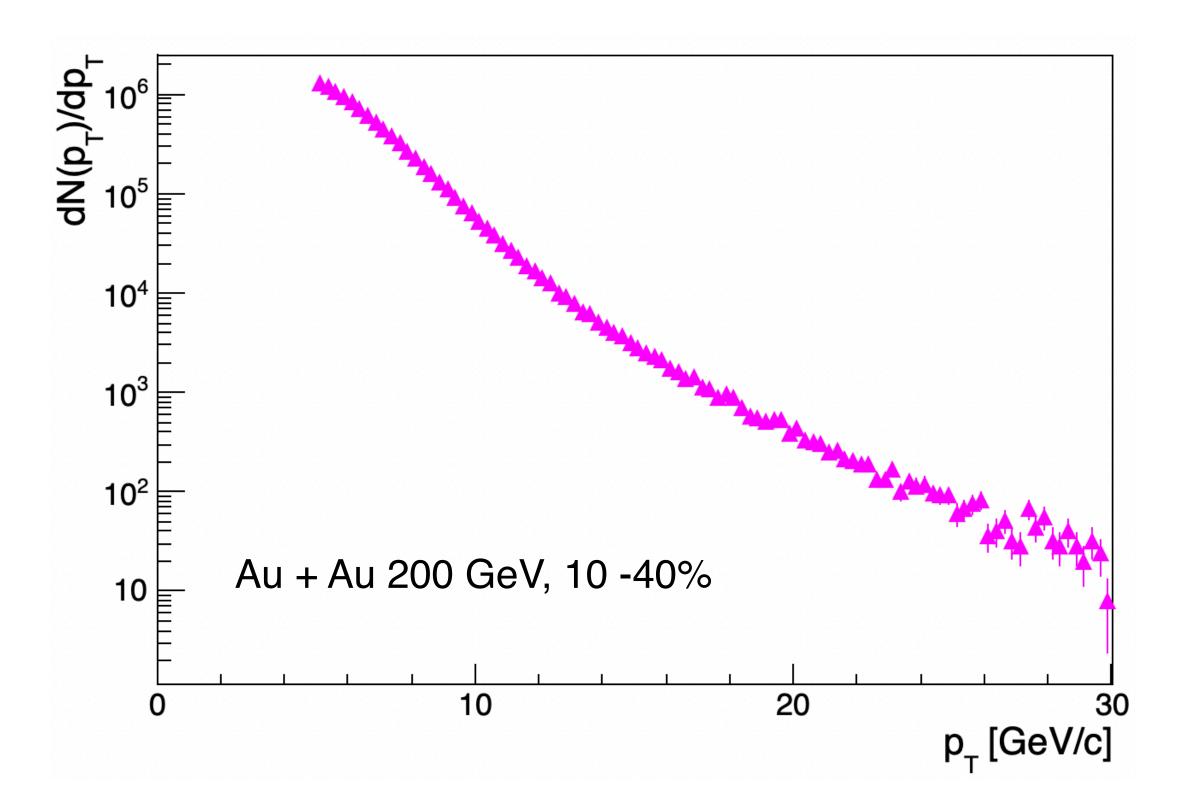
$$\mathbf{v_{1'}} = \frac{\int_{p_{T,1}}^{p_{T,2}} f(p_T) dp_T - \int_{p_{T,1+\Delta}}^{p_{T,2+\Delta}} f(p_T) dp_T}{2 \int_{p_{T,1}}^{p_{T,2}} f(p_T) dp_T}$$

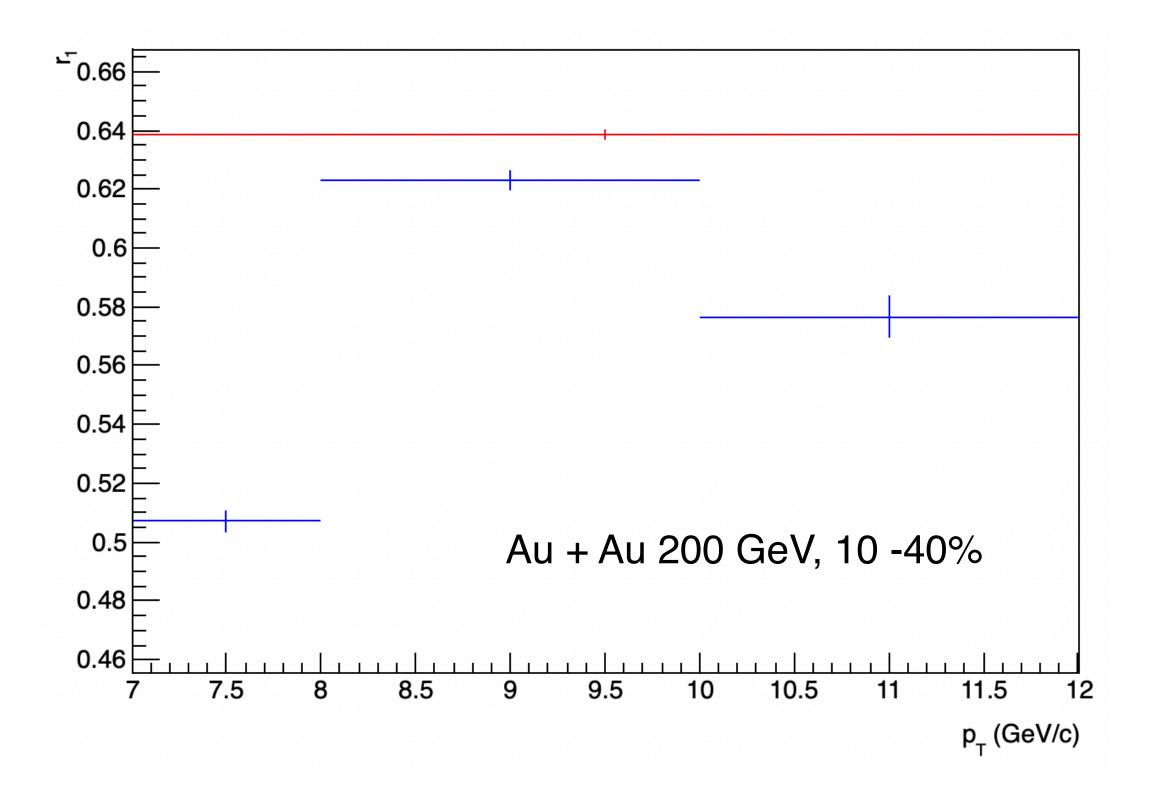
$$= \frac{\Delta \left( f(p_{T,1}) - f(p_{T,2}) \right)}{2 \int_{p_{T,1}}^{p_{T,2}} f(p_T) dp_T}$$

where  $f(p_T) = dN(p_T)/dp_T$  and  $\Delta$  is momentum shift

Assuming  $\Delta$  doesn't vary strongly with  $p_T$  calculate  $r_1 = v_1'/\Delta$  from the spectra







Not a well defined quantity, depends on the bin width and slope in the bin looked at

Value calculated in integrated  $p_T$  bin is not the average of the differential measurements, not a physical quantity

This is not what we measure. What we measure is the physical v<sub>1</sub>