



# Heavy-flavor femtoscopy in Au+Au collisions @ $\sqrt{s_{NN}}$ = 200 GeV at STAR

### Priyanka Roy Chowdhury

Warsaw University of Technology, Poland

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#### Fitting C(k\*) data for D- $\pi$ pairs

- ✓ Fitting approach: LL, fixed scattering length (f₀)
- ✓ Results of  $\chi^2$ /NDF vs R for different interaction parameters
- Results for probability vs R for different interaction parameters
- Estimation of the lower limit on R and systematic unc. on this value
- ✓ Plots with fits for low R

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### **Analysis Information**

- Dataset: Au+Au,  $\sqrt{s_{NN}} = 200 \text{ GeV}$
- Year: 2014
- Centrality: 0-80%
- Good events: 490 M

#### **Event cuts**

- $|V_z| < 6.0$  cm.
- $|V_z V_z^{VPD}| < 3.0 \text{ cm.}$
- $|V_x| > 1.0e^{-5}$  cm.
- $|V_y| > 1.0e^{-5}$  cm.
- $\sqrt{[(V_x)^2 + (V_y)^2]} \le 2.0$
- Centrality = 0-80%

#### **Track cuts**

- $p_{T} > 0.5 \text{ GeV/c}$
- |dca| > 0.0050 cm.
- nHitsFit >= 20
- $|\eta| <= 1.0$

#### **PID cuts for Pions & Kaons**

- $|n\sigma_{\pi}| < 3.0$
- $|n\sigma_{K}| < 2.0$
- $|n\sigma_p| < 2.0$
- $|\frac{1}{\beta} \frac{1}{\beta_{\Pi}}| < 0.03$   $|\frac{1}{\beta} \frac{1}{\beta_{K}}| < 0.03$   $|\frac{1}{\beta} \frac{1}{\beta_{p}}| < 0.03$   $|\frac{1}{\beta} \frac{1}{\beta_{p}}| < 0.03$   $\frac{nHitsFit}{nHitsFitMax} > 0.51$

### Approach: by fixing parameters

The Lednicky–Lyuboshitz analytical model connects the correlation function with final-state strong interaction parameters

$$C(k^{*}) = 1 + \sum_{s} \rho_{s} \left[\frac{1}{2} \left|\frac{f^{s}(k^{*})}{r_{0}}\right|^{2} \left(1 - \frac{d_{0}^{s}}{2\sqrt{\pi}r_{0}}\right) + \frac{2\Re(f^{s})(k^{*})}{\sqrt{\pi}r_{0}}F_{1}(Qr_{0}) - \frac{\Im(f^{s}k^{*})}{r_{0}}F_{2}(Qr_{0})\right]$$

where ,  $f^{s}(k^{*})$  is scattering length,  $d_0^{s}$  is effective radius for total spin s (s = 0 or s = 1) state

 $\rho_s$  is fraction of pairs with a given spin s ( $\rho_0 = \frac{1}{4}$  and  $\rho_1 = \frac{3}{4}$ )

$$Q=2k^*$$
,  $F_1(z)=\int_0^z dx e^{x^2-z^2}/z$ ,  $F_2(z)=(1-e^{-z^2})/z$ 

This model assumes, average separation vector  $(\vec{r})$  from eq. (1), follows Gaussian distribution

$$dN^{3}/d^{3}r^{*}e^{-r^{*2}/4r_{0}^{2}}$$

(2)

where,  $r_0$  is the effective radius of the correlated source

STAR, Phys. Rev. C 74 (2006) 064906

Fixed parameters:

All 5 parameters are unknown. By fixing all, we performed  $\chi^2$  test to P of  $\chi^2$  test to check lower limit on source radius

 $Re(d_0) \& Im(d_0) = 0$  (acc. to zero effective range approximation)

 $Re(f_0) \& Im(f_0) = fixed$  (acc. to theory models used by ALICE)

 $r_0 = fixed$  (varies from 0.5 fm to 6 fm)

(1)

### Motivation & list of fixed parameter

ALICE, Phys. Rev. D 110, 032004 (2024)



TABLE IV. Scattering lengths of the available theoretical models for the  $D\pi$  interactions. The values are reported separately for the different isospin states.

| Model              |          | $a_0$ (fm)                 |                          |  |  |
|--------------------|----------|----------------------------|--------------------------|--|--|
|                    |          | $\mathrm{D}\pi(I=3/2)$     | $D\pi(I=1/2)$            |  |  |
| Liu et al. [89]    |          | $-0.100 \pm 0.002$         | $0.37^{+0.03}_{-0.02}$   |  |  |
| Guo et al. [90]    |          | -0.11                      | 0.33                     |  |  |
| Guo et al. [91]    | Fit-1B   | $-0.101^{+0.005}_{-0.003}$ | $0.31^{+0.01}_{-0.01}$   |  |  |
|                    | Fit-2B   | $-0.099^{+0.003}_{-0.004}$ | $0.34^{+0.00}_{-0.03}$   |  |  |
| Huang et al. [92]  |          | $-0.06 \pm 0.02$           | $0.61 \pm 0.11$          |  |  |
| Torres-Rincon et a | ıl. [93] | -0.101                     | 0.423                    |  |  |
|                    |          | $\mathrm{D}^*\pi(I=3/2)$   | $\mathrm{D}^*\pi(I=1/2)$ |  |  |
| Liu et al. [94]    |          | -0.13 - 0.00036i           | 0.27 - 0.00036i          |  |  |

Guo [90]: https://doi.org/10.1103/PhysRevD.98.014510

- Fits using scattering length (a<sub>0</sub>) values from Guo et al. [90] will be reported here
- Due to lack of statistics, we can't extract interaction parameters from current data but can study the lower limit of source radii

#### Guo (I = 1/2), $Re(f_0) = 0.33 fm$



#### Guo (I = 1/2), $Re(f_0) = 0.33$ fm



Probability of X2 vs source radii



#### Guo (I = 3/2), $Re(f_0) = -0.11 \text{ fm}$



#### Guo (I = 3/2), Re( $f_0$ ) = -0.11 fm

X2/NDF vs source radii 10 X2/NDF 1 0.1 0 1 2 3 4 5 6 7 8 9 R (fm)

Probability of X2 vs source radii 1 0.9 0.8 0.7 0.6 P(X2) 0.5 ------ Guo (I = 3/2) 0.4 0.3 0.2 0.1 0 0 2 3 5 6 7 8 1 4 9

R (Fm)



- From the studies with current set of parameters with CL 90%, acceptable value of D<sup>0</sup>-π emission source radii is R > 1.5 fm
- Systematic studies using different set of fixed f<sub>0</sub> values could be helpful to make precise conclusion

## **Back Up**



### Theory prediction of CF for $D\pi$ channels



Figure: Correlation functions for  $D\pi$  channels predicted for R = 1, 2 and 5 fm sources represented by red, blue and green dashed lines respectively. Corresponding bands show uncertainties with 68% CL

• Interaction in I = 3/2 sector ( $D^0\pi^-$ ) is weaker and repulsive

• Isospin combinations for  $D\pi$  channels

$$egin{aligned} C_{D^+\pi^0} &= rac{2}{3}\,C^{D\pi}_{3/2} + rac{1}{3}\,C^{D\pi}_{1/2}, \ C_{D^0\pi^+} &= rac{1}{3}\,C^{D\pi}_{3/2} + rac{2}{3}\,C^{D\pi}_{1/2}, \ C_{D^0\pi^-} &= C^{D\pi}_{3/2}, \end{aligned}$$

- Predicted CF for  $D^0\pi^+$  and  $D^+\pi^0$  channels considered only I =  $\frac{1}{2}$  state
- → Depletion at k ~ 215 MeV for R = 1 fm source, produce due to presence of the lightest D<sup>\*</sup><sub>0</sub> state [D<sup>\*</sup><sub>0</sub>(2135)]
- For R = 2 fm and 5 fm sources, the minimum is present but diluted



### **Physics Goal**

- Understand the interactions in the final state through two-particle (D<sup>0</sup>-K<sup>±</sup>, D
  <sup>0</sup>-K<sup>±</sup>, D<sup>0</sup>-κ<sup>±</sup>, D
  <sup>0</sup>-π<sup>±</sup>, D
  <sup>0</sup>-p<sup>±</sup>, D
  <sup>0</sup>-p<sup>±</sup>) femtoscopic correlations
- Femtoscopy is sensitive As well as to the extent of the region from which correlated particles are emitted
- Average distance between emission points of correlated pairs (D<sup>0</sup>-hadron) is known as *'length of homogeneity'* or emission source radius (r<sub>0</sub>) using LL model
- Theoretical inputs are required to connect the observed correlation functions and interaction parameters of charm and light quarks before hadronization



Figure 4:  $c/\overline{c}$  as a probe of QGP medium and final-state interaction



### **Physics Motivation – Quark Gluon Plasma**

Phys. Rev. C 99 (2019)

 $Au+Au \setminus s_{NN} = 200 \text{ GeV } 0-10\%$ 

34908

1.5

(a)

- → Heavy quarks (c and b) are produced early in collisions → useful to probe all stages of heavy-ion collisions
- → Suppression of D<sup>0</sup> meson at high p<sub>T</sub> and significant D<sup>0</sup> elliptic flow observed in heavy-ion reactions at RHIC
- Strong interaction of charm quarks with the quark-gluon plasma and its thermalization
- New observables to constrain different models and understand production mechanism



Figure 1: Stages of heavy-ion collisions

### **Femtoscopic correlation**

- Femtoscopic correlations are observed between pair of particles with low relative momentum
- It is measured as a function of the reduced momentum difference (k\*) of the pair of particles in rest frame

$$C(\vec{k}^*) = \int S(\vec{r}^*) \left| \Psi(\vec{k}^*, \vec{r}^*) \right|^2 \mathrm{d}^3 r^*,$$

- where,  $S(\vec{r}^*) \rightarrow$  source emission function  $\vec{r}^* \rightarrow$  relative separation vector  $\Psi(\vec{k}^*, \vec{r}^*) \rightarrow$  pair wave function
- → Femtoscopic Correlation →QS + FSI
  - Quantum Statistics [QS]: Bose-Einstein / Fermi-Dirac
  - Final-State-Interaction [FSI]: Strong & Coulomb interaction
  - ➢ Only strong interaction contributes to D⁰/D¯⁰-h<sup>±</sup> femtoscopy
- → Applied formula to measure correlation function  $C(k^*)$  for  $D^0/\overline{D}^0$   $h^{+/-}$  pairs:

$$C(\vec{k}^*) = \mathcal{N} \frac{A(\vec{k}^*)}{B(\vec{k}^*)}.$$
 (2)

where  $A(\vec{k}^*)$  and  $B(\vec{k}^*)$  are k<sup>\*</sup> for correlated and uncorrelated pairs &  $\mathcal{N}$  is normalization factor



(1)

Femtoscopic correlation &  $k^{\ast}$ 



### **Physics Motivation – Final State Interaction**

• First studies of D-hadron interactions in pp at  $\sqrt{s} = 13$  TeV by the ALICE experiment



Figure 7: Interaction behavior of  $D^{\pm}at$  final state

- CF data for pD<sup>-</sup> and pD<sup>+</sup> pairs are compatible within (1.1 1.5)σ with theory predictions obtained from the hypothesis of Coulomb only interaction
- → Small values of  $a_{\pi D}$  (scattering length) → small role of D meson re-scattering in the hadronic phase of heavy-ion collisions



#### **Reconstruction of D<sup>0</sup> meson**



- Decay length distance between decay vertex and primary vertex (PV)
- → Distance of Closest Approach (DCA) between:

a) K<sup>-</sup> & π<sup>+</sup> - DCA<sub>12</sub>
b) π<sup>+</sup> & PV - DCA<sub>π</sub>

- c) K<sup>-</sup> & PV DCA<sub>K</sub>
- d)  $D^0$  & PV  $DCA_{D0}$
- →  $\theta$  angle between  $\vec{P}$  & decay length
- → Here  $D^0 \rightarrow mixture \ of \ D^0 (K^-\pi^+) \ and \ \overline{D}^0 (K^+\pi^-)$

**Topological selection criteria:** 

| $D^0 \; p_T \; ({ m GeV/c})$           | 0 - 1 | 1-2  | 2-3  | 3-5  | 5-10 |
|--|-------|------|------|------|------|
| decay length $(\mu m) >$               | 145   | 181  | 212  | 247  | 259  |
| DCA between 2 daughters $(\mu m) <$    | 84    | 66   | 57   | 50   | 60   |
| DCA between $D^0$ and PV $(\mu m) <$   | 61    | 49   | 38   | 38   | 40   |
| DCA between $\pi$ and PV ( $\mu m$ ) > | 110   | 111  | 86   | 81   | 62   |
| DCA between K and PV $(\mu m) >$       | 103   | 91   | 95   | 79   | 58   |
| pointing angle $\cos(\theta) >$        | 0.99  | 0.99 | 0.99 | 0.99 | 0.99 |



 $1.6 < D^0$  mass <2.2 GeV/c<sup>2</sup>

### $p_T$ dependence of $D^0$ signal & its purity (Run 2014)



- D<sup>0</sup> invariant mass range:
   1.82 1.91 GeV/c<sup>2</sup>
- Standard topological cuts used for D<sup>0</sup> reconstruction
- $D^0$  purity:

signal (signal+background)

 Good S/B ratio for D<sup>0</sup> signal p<sub>T</sub> > 1 GeV/c





#### **Particle Identification (PID)**

Ref. - STAR: Phys. Rev. C 99, 034908 (2019)



Figure 8: Particle identification using TPC (left) and TOF (right)

- → dE/dx bands for  $\pi$  and K overlap around 0.7 GeV/c
- → To distinguish between  $\pi$  and K at lower momenta (< 1 GeV/c), TOF info was required



#### **Correction of detector effects**

**1. Self correlation**: Possible correlation between D<sup>0</sup> candidates and their daughters were removed

#### Hadron (chosen for pairing with $D^0$ ) track id $\neq$ Track id of $D^0(\pi^+K^-)$

**2. Track splitting**: Track splitting causes an enhancement of pairs at low relative pair momentum k<sup>\*</sup>. This enhancement is created by a single track reconstructed as two tracks, with similar momenta. Track splitting mostly affects identical particle combinations (here,  $\pi_D^0 - \pi$  and  $K_D^0 - K$ ), as one track may leave a hit in a single pad-row. Due to shifts of pad-rows, it can be registered twice. In order to remove split tracks, we applied following condition.

#### **No. of hit points / Max no. of hit points > 0.51**



### **Possible detector effects**



Merging of tracks inside TPC

#### Approach 1:

- →  $\delta r(i) < mean TPC distance separation <math>\rightarrow$  'merged' hits
- $\delta r(i)$  distance between TPC hits of two tracks
- Pair of tracks with fraction of merged hits > 5% were removed as 'merged tracks'
- The technique was adopted from HBT approach
   Approach 2:
- →  $\delta r(i) < threshold \rightarrow$  'merged' hits

#### **Approach 3:**

- → **SE/ME of**  $\Delta \eta$  **vs**  $\Delta \phi$  **distribution**  $\rightarrow$  no dip around 0  $\rightarrow$  negligible effect of merged tracks
- With variation of merging cuts → Negligible effect on correlation value, no correction applied



#### **Corrections & Systematic Uncertainties**

Pair-purity corrected correlation function:

 $C_{\text{measured}}^{\text{corr}}(k^*) = \frac{C_{\text{measured}}(k^*) - 1}{\text{PairPurity}} + 1, \text{ where PairPurity} = \mathbf{D}^0 \text{ purity } * \text{ hadron purity}$ 



Figure 10: Momentum distribution of  $D^0$  - K and  $D^0$  -  $\pi$ 

- → Mean K and  $\pi$  momentum: ≈ 0.62 GeV/c and 0.57 GeV/c
- Due to overlap with other hadrons, K and  $\pi$  with p < 1 GeV/c were considered
- Kaon purity ~  $(97 \pm 3(syst.))\%$
- → Pion purity ~ (99 ± 0.5 (syst.))%
- Proton purity ~  $(99 \pm 0.5 \text{ (syst.)})\%$

#### Estimation of systematic uncertainties:

- I. Variation of D<sup>0</sup> reconstruction criteria
- II. Variation of D<sup>0</sup> invariant mass window
- III. Uncertainty from D<sup>0</sup>-h pair-purity correction



Priyanka Roy Chowdhury

### **Correlation functions using Run 2014 data**

NLO + HMChPT, Phys. Rev. D 108, 014020



 $C(k^*)$  for  $D^0$ -K pairs with systematic uncertainties (boxes). Green and pink bands are theory predictions of  $C(k^*)$  for  $D^0$ -K<sup>+</sup> channel using source radii of 5 fm and 2 fm respectively

- C(k<sup>\*</sup>) calculated with *K* and  $\pi$  momentum < 1 GeV/c, *p* momentum < 1.2 GeV/c and D<sup>0</sup> p<sub>T</sub> > 1 GeV/c
- Ref. CF estimated for D<sup>0</sup>-K<sup>+</sup> using next-to-leading order (NLO) Heavy Meson Chiral Perturbation Theory (HMChPT) scheme
- STAR data shows no significant correlations, but the data also consistent with theoretical model predictions with emission source size of 5 fm or larger
- Resonance effect of D<sub>S0</sub>\* (2317)<sup>±</sup> state is NOT visible due to large source size or large experimental uncertainties

