



J/ψ v_2 measurement in isobar collisions

Qian Yang (杨钱)
Shandong University



Analysis strategy

Event level:

Vpdmb-30 (600001, 600011, 600021 and 600031)

$|V_r| < 2 \text{ cm}$, $-35 < V_z < 25 \text{ cm}$, and $|V_z^{TPC} - V_z^{VPD}| < 3 \text{ cm}$

Bad run rejected, bad run index in backup slides

Electron identification:

$$nHitsFit \geq 20$$

$$nHitsFit/nHitsPoss \geq 0.52$$

$$nHitsDedx \geq 15$$

$$dca < 0.75 \text{ cm}$$

$$|\eta| < 1.0$$

$$-1.5 \leq n\sigma_e \leq 2.0$$

$$p < 1.5 \text{ GeV}/c$$

$$|1 - 1/\beta| \leq 0.025$$

$$p \geq 1.5 \text{ GeV}/c$$

$$0.3 \leq p/E \leq 1.5$$

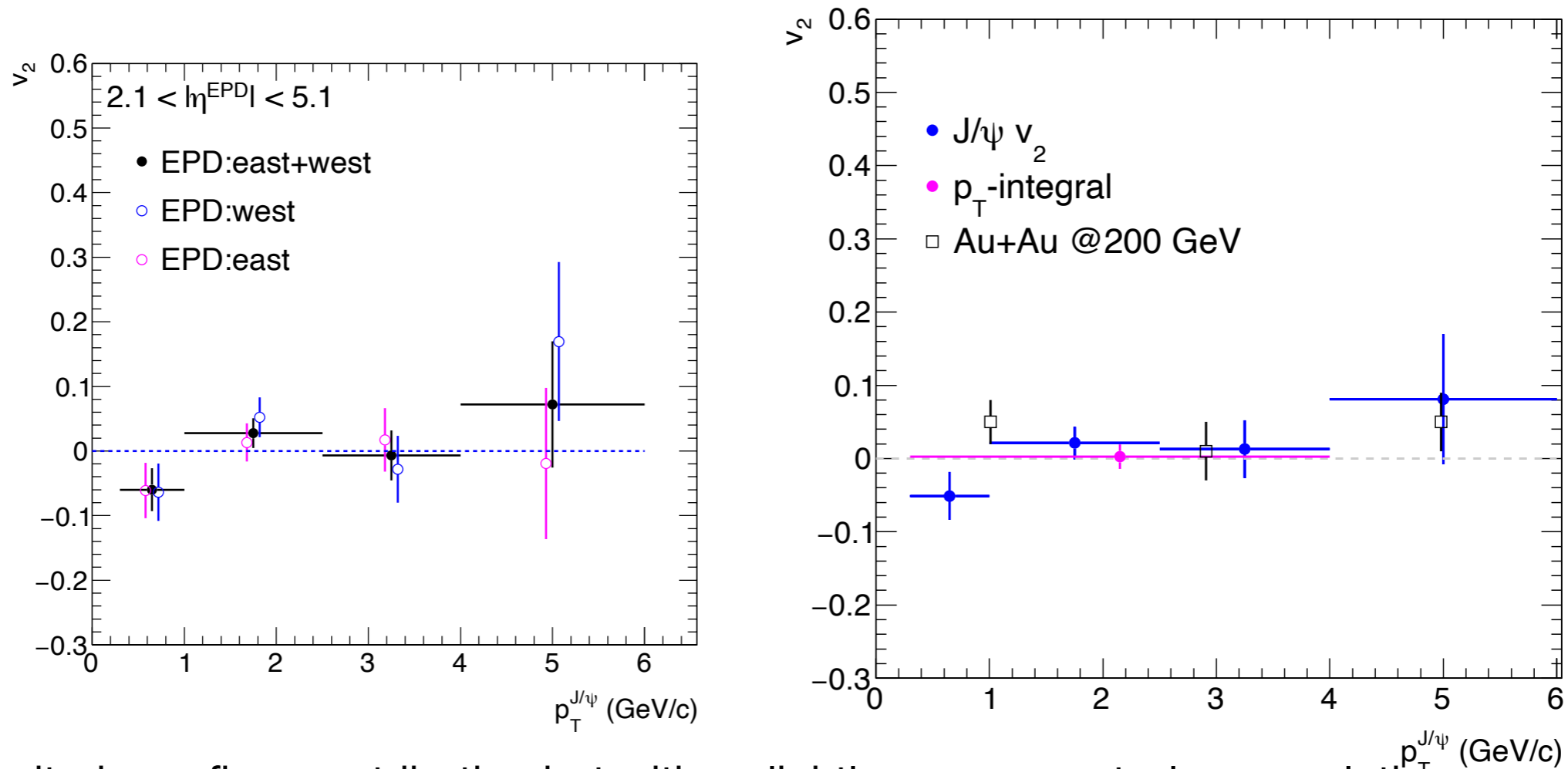
J/psi pT	0.3 - 1 GeV/c	1 - 2.5 GeV/c	2.5-4 GeV/c	4-6 GeV/c
Minimum electron pT	0.4 GeV/c	0.6 GeV/c	0.6 GeV/c	0.8 GeV/c



J/ψ elliptic flow

Previous

$$v_2^{obs} = \frac{\langle Q_{2,POI} Q_{2,EPDW}^* \rangle}{\sqrt{\frac{\langle Q_{2,EPDW} Q_{2,EPDE}^* \rangle \langle Q_{2,EPDW} Q_{2,TPC}^* \rangle}{\langle Q_{2,EPDE} Q_{2,TPC}^* \rangle}}} = \frac{v_{2,POI} v_{2,EPD+} R_{EPD+}}{\sqrt{\frac{v_{2,EPD+} v_{2,EPD-} v_{2,EPD+} v_{2,TPD} R_{EPD+}^2 R_{EPD-} R_{TPC}}{v_{2,EPD-} v_{2,TPC} R_{EPD-} R_{TPC}}}} = \frac{v_{2,POI} v_{2,EPD+} R_{EPD+}}{\sqrt{v_{2,EPD+}^2 R_{EPD+}^2}}$$

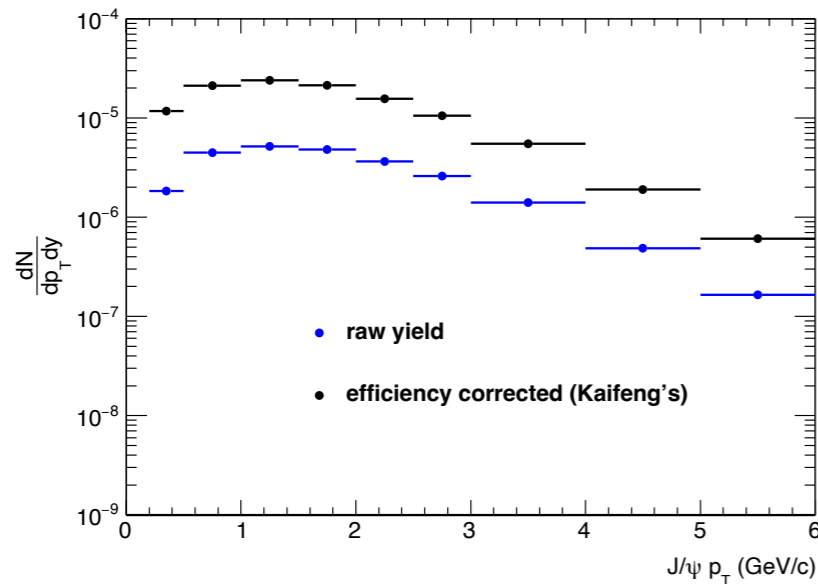


- Limited non-flow contribution but with a slightly worse event-plane resolution compared to TPC event-plane method
- What is the J/psi detector efficiency impact on the v_2 results?

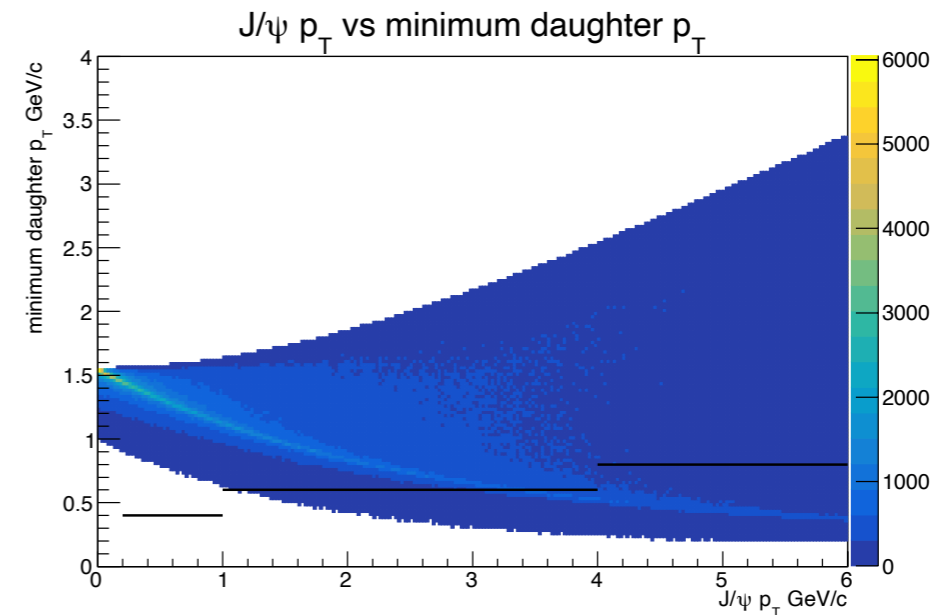
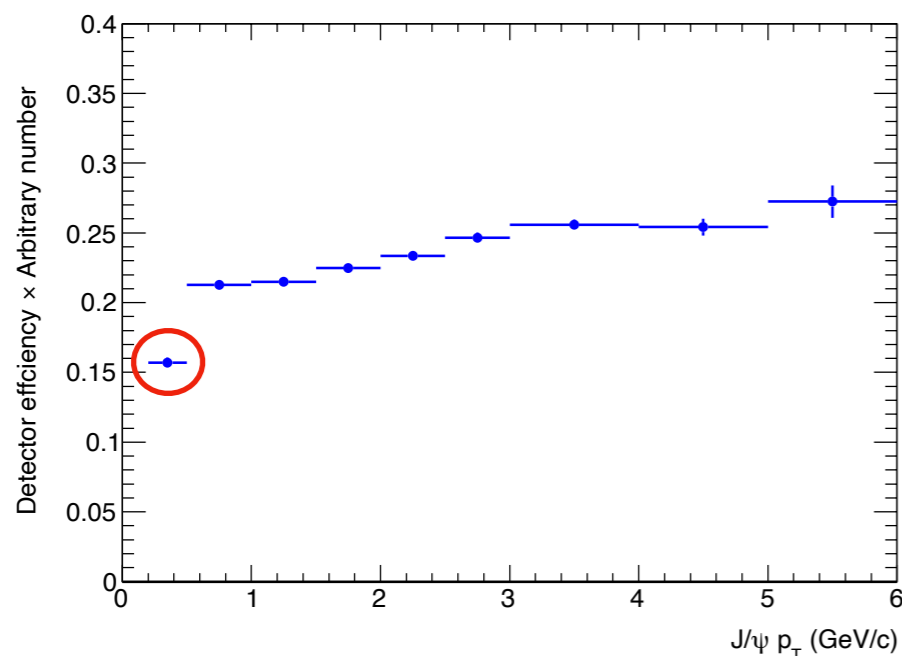
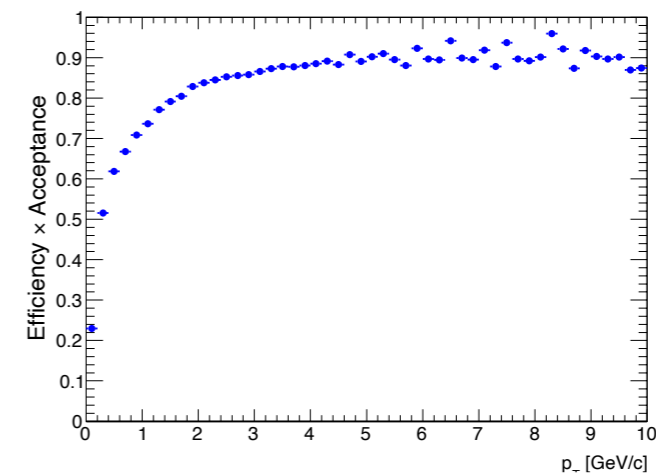


J/ψ detector efficiency

- Efficiency obtain by divide the raw yield by “truth” spectrum which is from R_{AA} analysis



J/ψ decay electron tracking efficiency from embedding (“JpsiMB_200_20215101”)

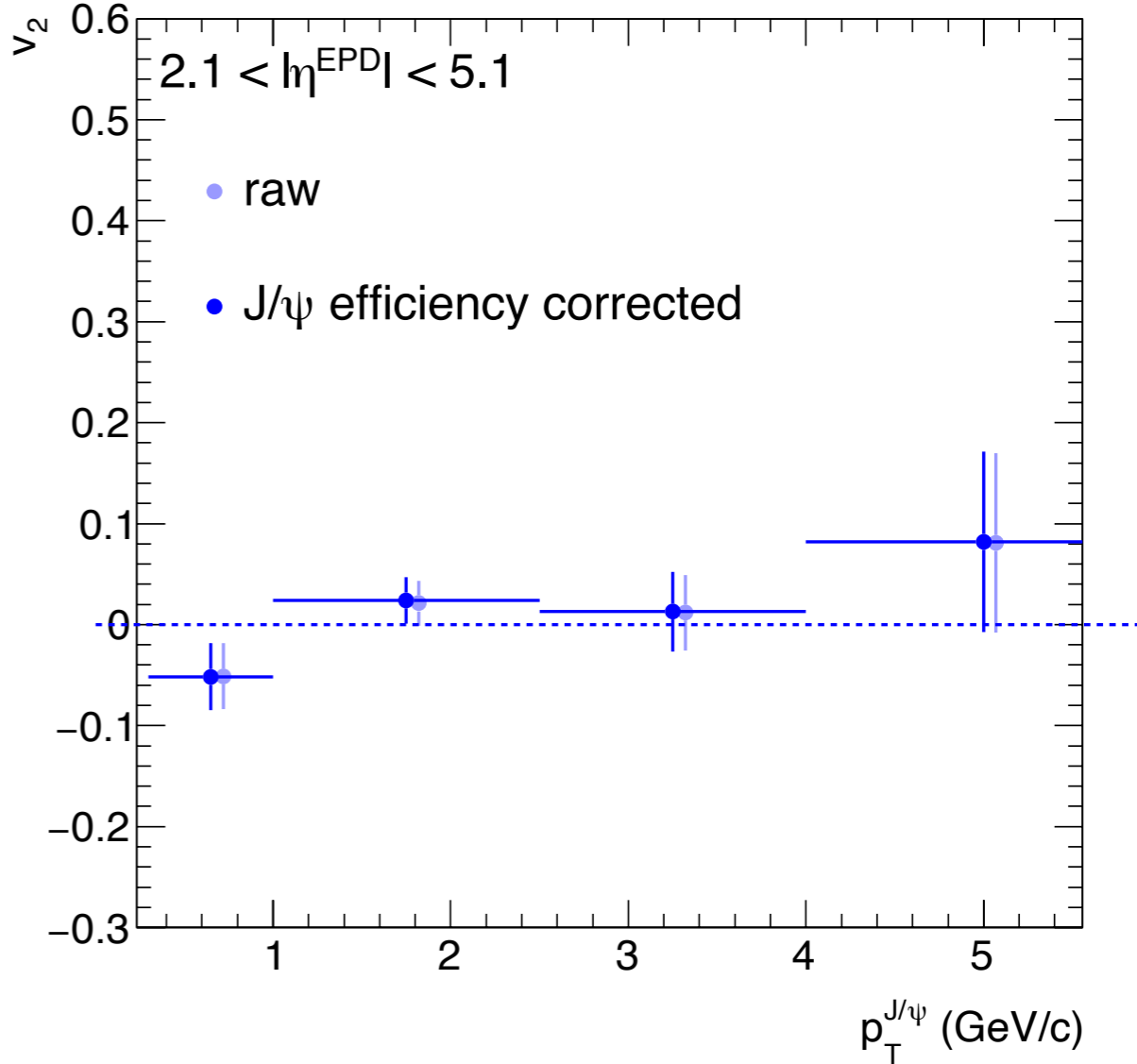
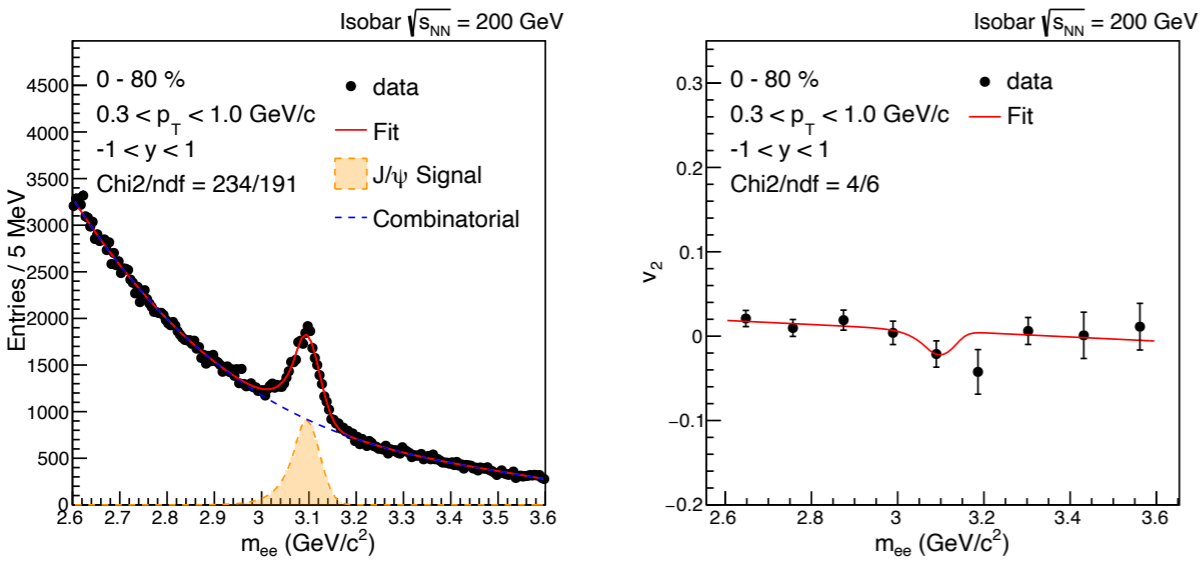


- Different p_T cuts on daughter p_T shown limited impact on efficiency due to a wide p_T distribution of electron

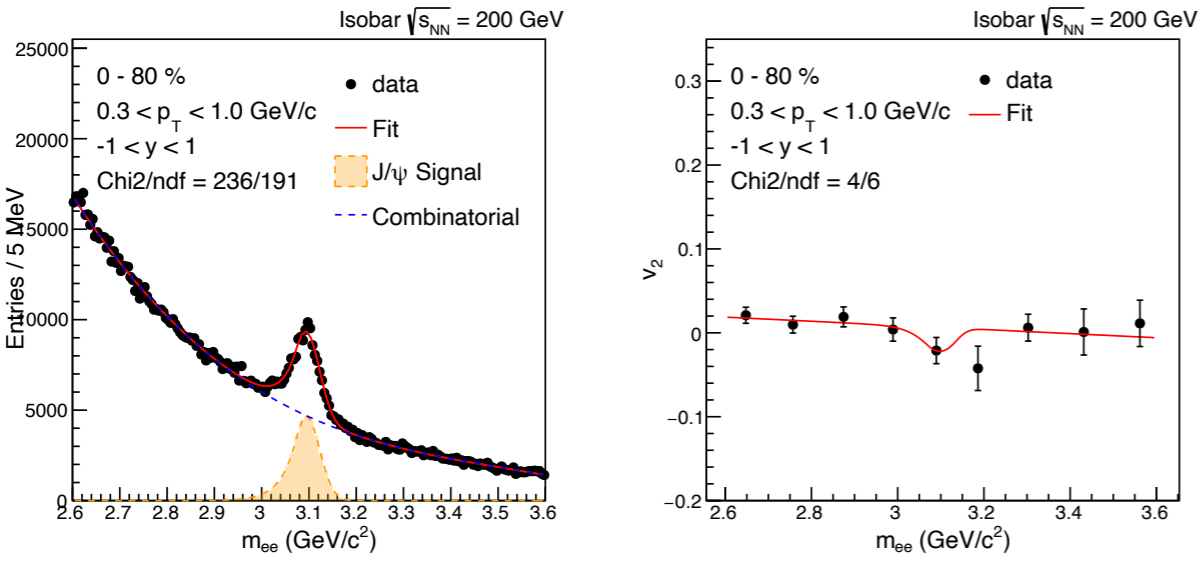


J/ψ elliptic flow

Before efficiency correction



After efficiency correction



- Very limited impact of efficiency on final v_2 results



Event-plane method

Particle emission azimuthal angle measured with respect to **the reaction plane**

$$E \frac{d^3N}{d^3p} = \frac{1}{2\pi} \frac{d^2N}{p_T dp_T dy} \left(1 + \sum_{n=1}^{\infty} 2v_n \cos[n(\phi - \Psi_r)] \right)$$

for particle number distribution, $v_2 = \langle (p_x/p_T)^2 - (p_y/p_T)^2 \rangle$

Estimation of the reaction plane :

$$Q_2 \cos(2\Psi_2) = X_2 = \sum_i w_i \cos(2\phi_i)$$

$$Q_2 \sin(2\Psi_2) = Y_2 = \sum_i w_i \sin(2\phi_i)$$

$$\Psi_2 = \frac{\left(\tan^{-1} \frac{\sum_i w_i \sin(2\phi_i)}{\sum_i w_i \cos(2\phi_i)} \right)}{2}$$

Weights are optimized to make the reaction plane resolution the best
: transverse momentum in this analysis

TPC event-plane reconstruction



Tracks for event plane reconstruction:

$$0.4 < p_T < 5 \text{ GeV}/c$$

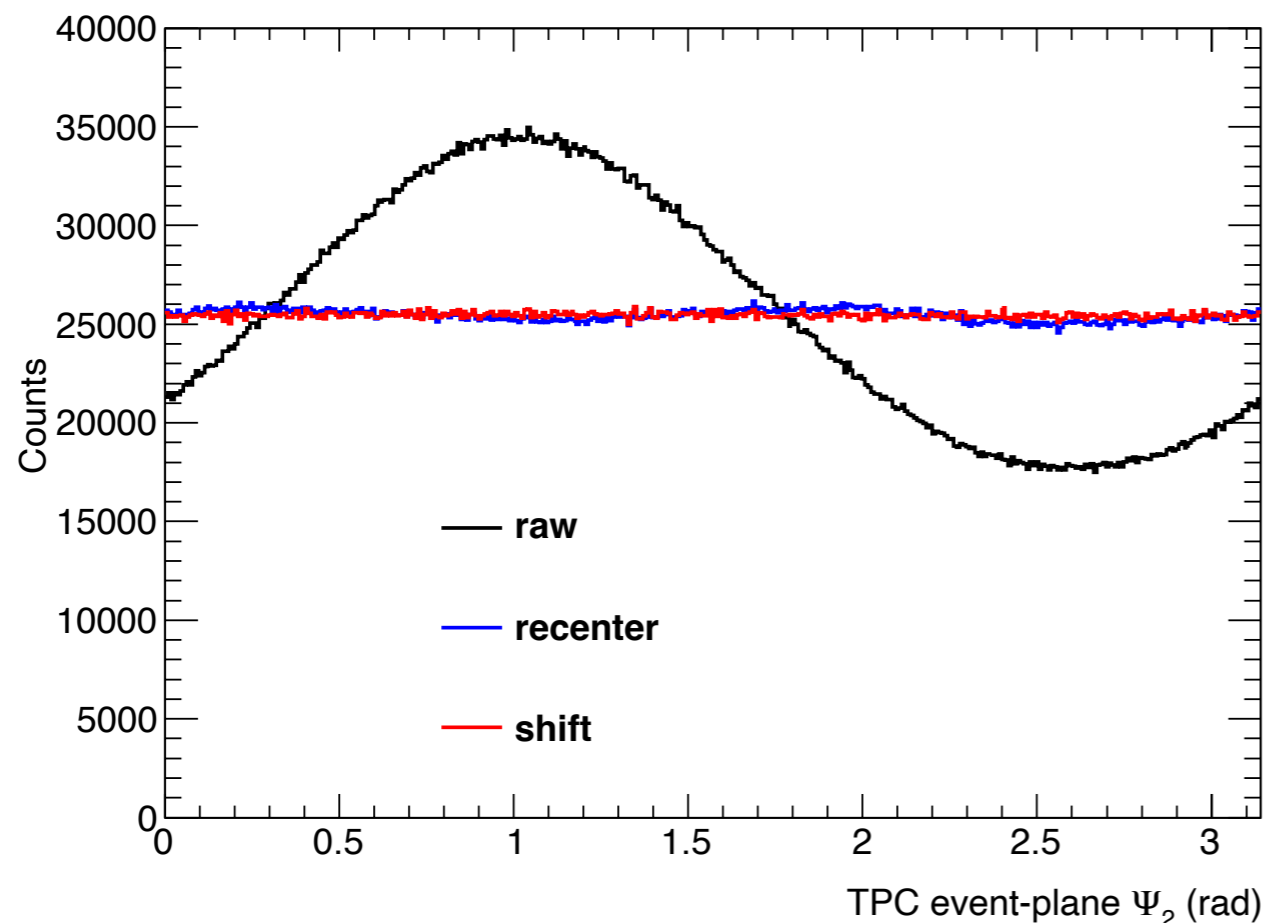
$$n_{\text{HitsFit}} > 15$$

$$n_{\text{HitsFit}}/n_{\text{HitsPoss}} > 0.52$$

$$dca < 3$$

$$-0.5 < \eta < 0.5$$

e that can be paired in the mass region of (2.2 - 3.8) has been removed from event-plane reconstruction



Recentering:

- correct azimuthally non-uniform TPC efficiency
- Corrected in each run, and centrality with $v_z > 0$ and $v_z < 0$ case respectively

Shift:

To remove higher order harmonics contribution. Up to 10th order in the analysis



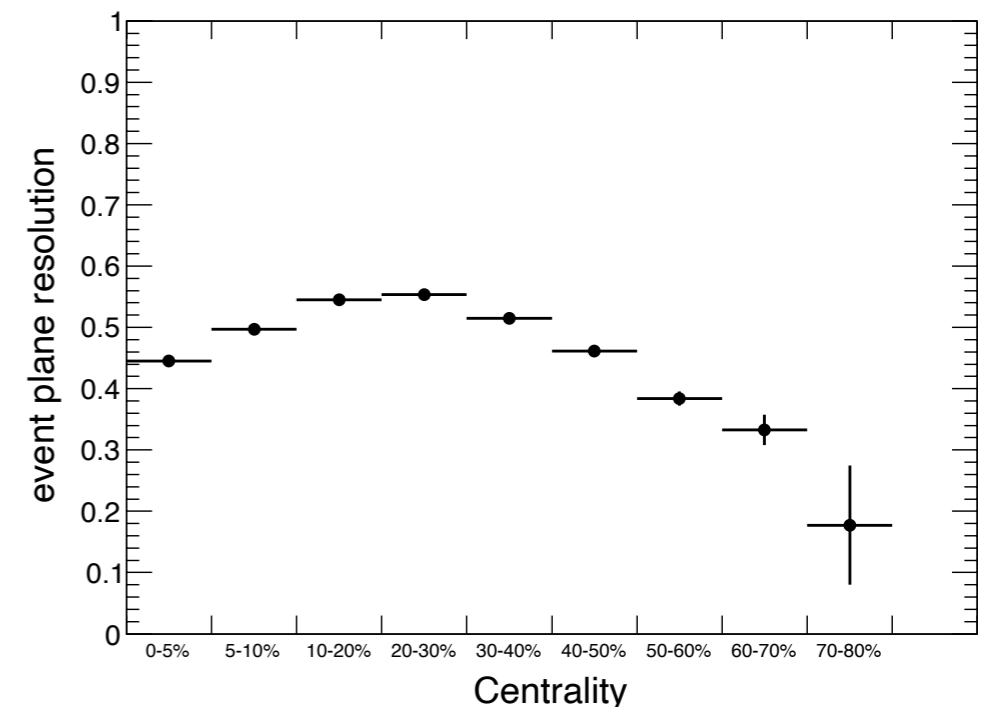
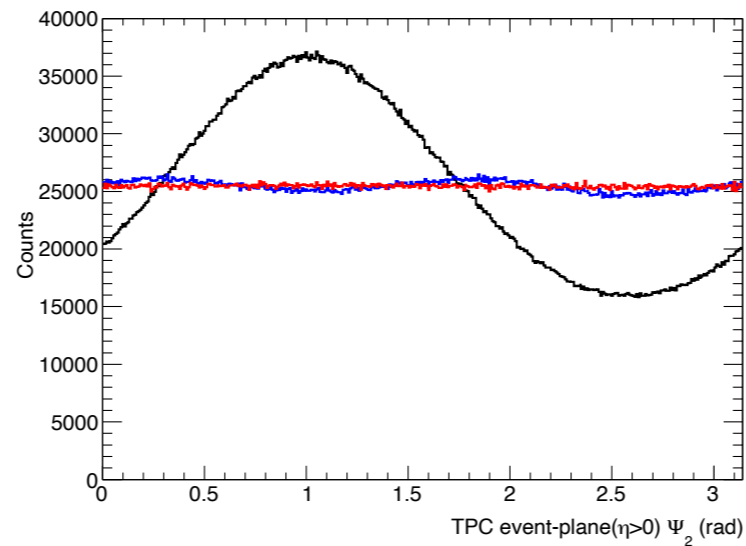
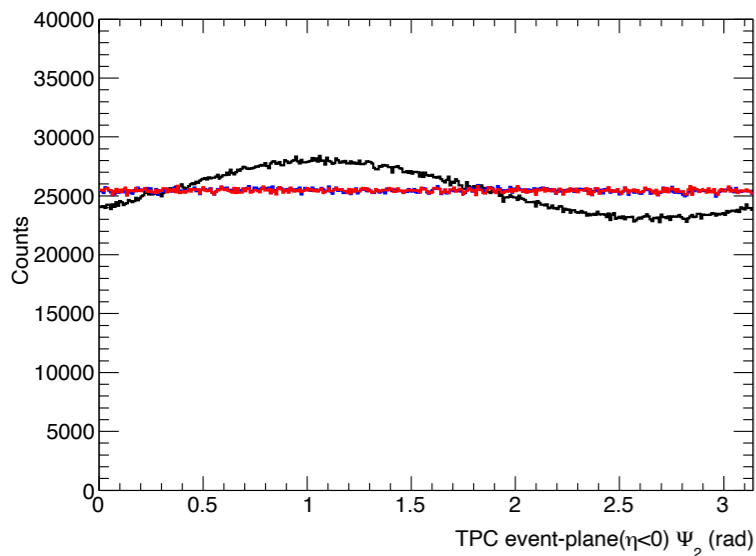
TPC event-plane resolution

Using second order event plane to estimate event plane resolution

$$\begin{aligned} \langle \cos[2(\Psi_2 - \Psi_2^T)] \rangle &= \sqrt{2} \langle \cos[2(\Psi_2^{sub} - \Psi_2^T)] \rangle \\ &= \sqrt{2} \sqrt{\langle \cos[2(\Psi_2^{sub1} - \Psi_2^{sub2})] \rangle} \end{aligned}$$

Two sub-event: $\eta > 0$ and $\eta < 0$

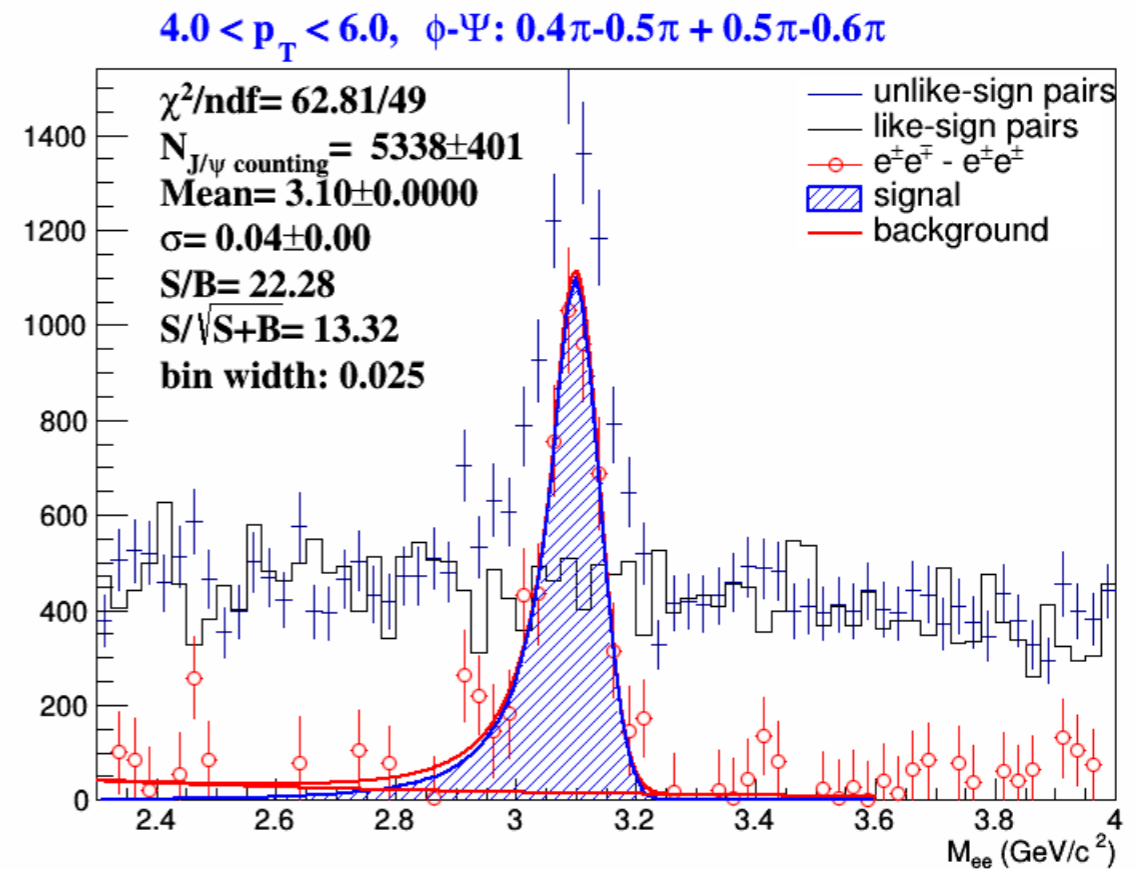
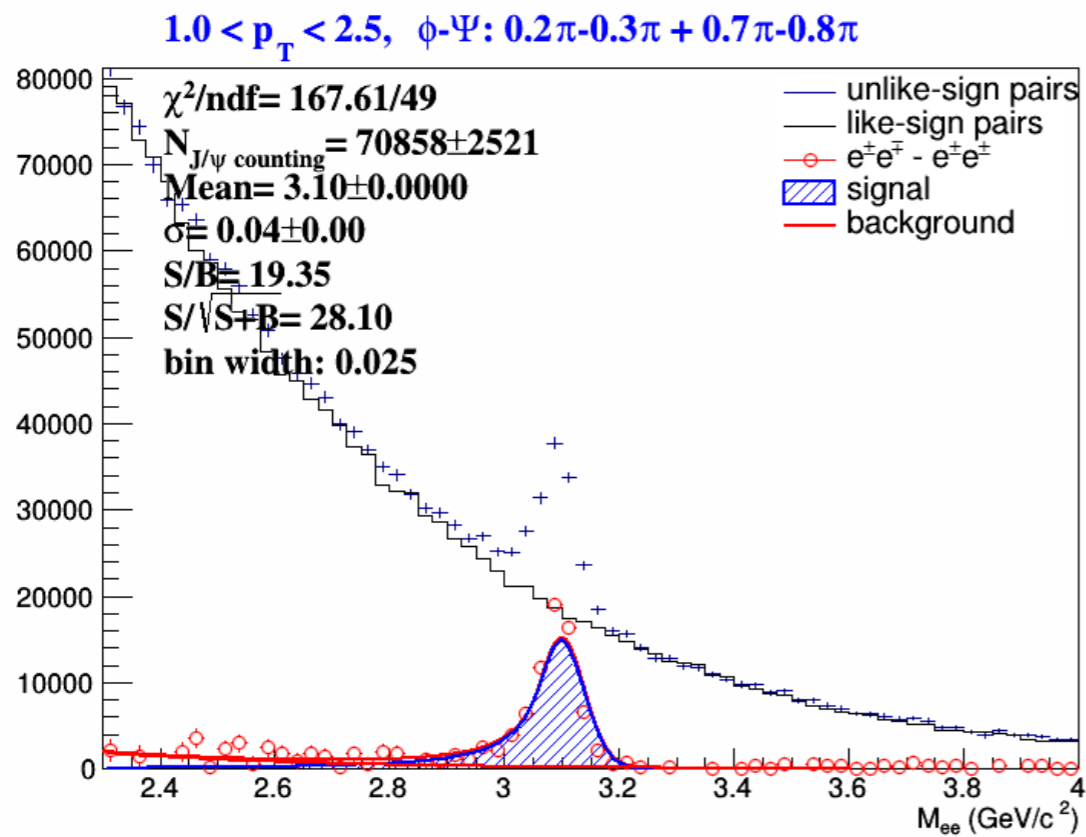
Recenter are done in each run, centrality and $v_z > 0$ and $v_z < 0$ case respectively



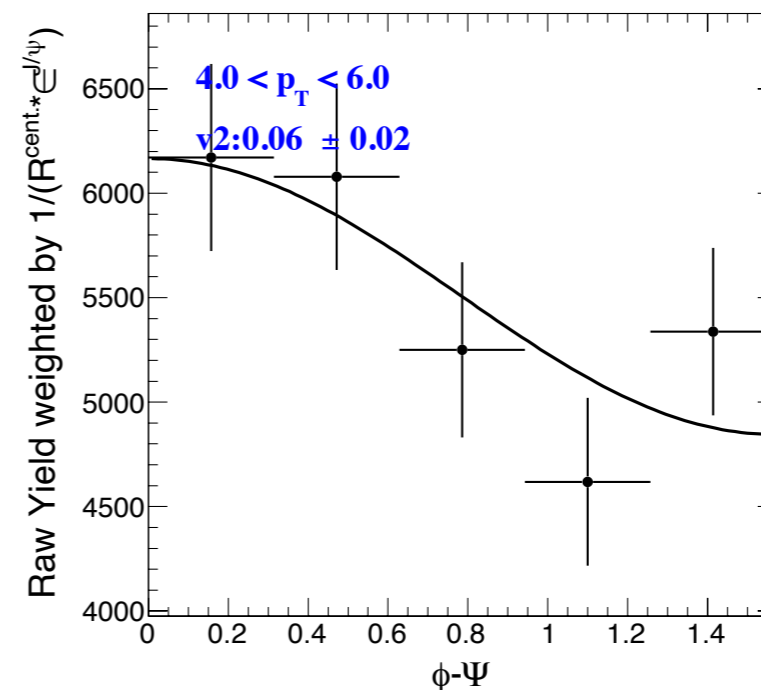
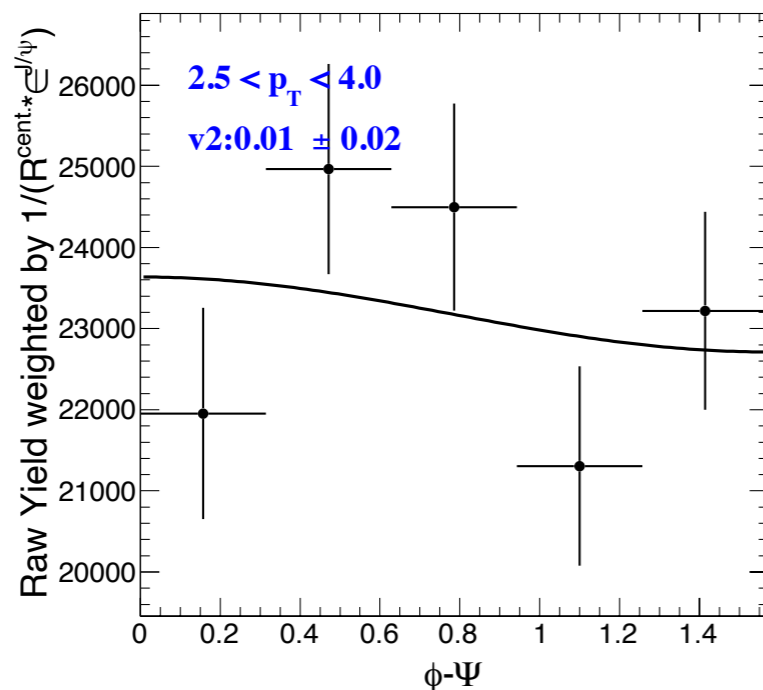
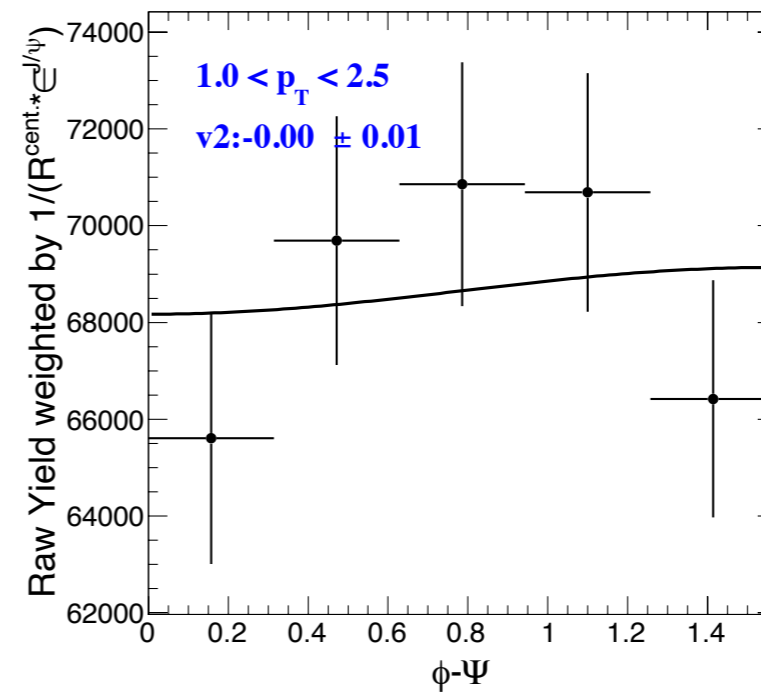
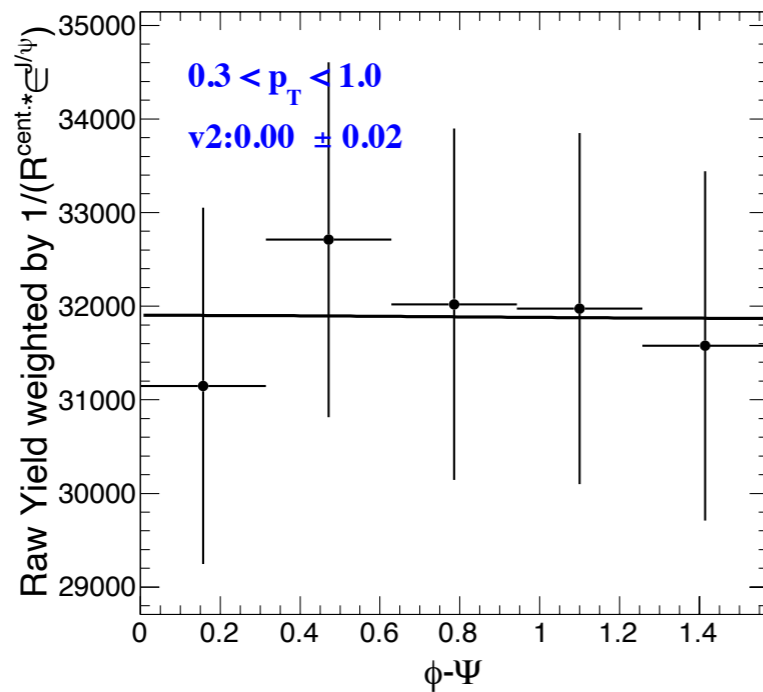


mass distribution in different $\Delta\phi$ bins

- To cope with event plane resolution in large centrality bin, the histogram is weighted by inverse event plane resolution and J/psi efficiency in each centrality bin
- the counts are divided into 10 ϕ - Ψ bins, and each 2 bins symmetrical to $\pi/2$ are combined into one



J/psi yield in different $\phi - \Psi$ bins





ϕ bin width correction

$$\begin{aligned}
& \int_{i\Delta}^{(i+1)\Delta} A(1 + 2v_2 \cos(2(\phi - \Psi))) d(\phi - \Psi) \\
&= A(\Delta + v_2 \int_{i\Delta}^{(i+1)\Delta} \cos(2(\phi - \Psi)) d(2(\phi - \Psi))) \\
&= A(\Delta + v_2 \sin(2(\phi - \Psi)) \Big|_{i\Delta}^{(i+1)\Delta}) \\
&= A(\Delta + v_2(\sin(2(i+1)\Delta) - \sin(2i\Delta))) \\
&= A(\Delta + v_2 2\sin\Delta \cos((2i+1)\Delta)) \\
&= A\Delta(1 + 2v_2(\sin\Delta/\Delta) \cos(2(i+1/2)\Delta))
\end{aligned}$$

bin center

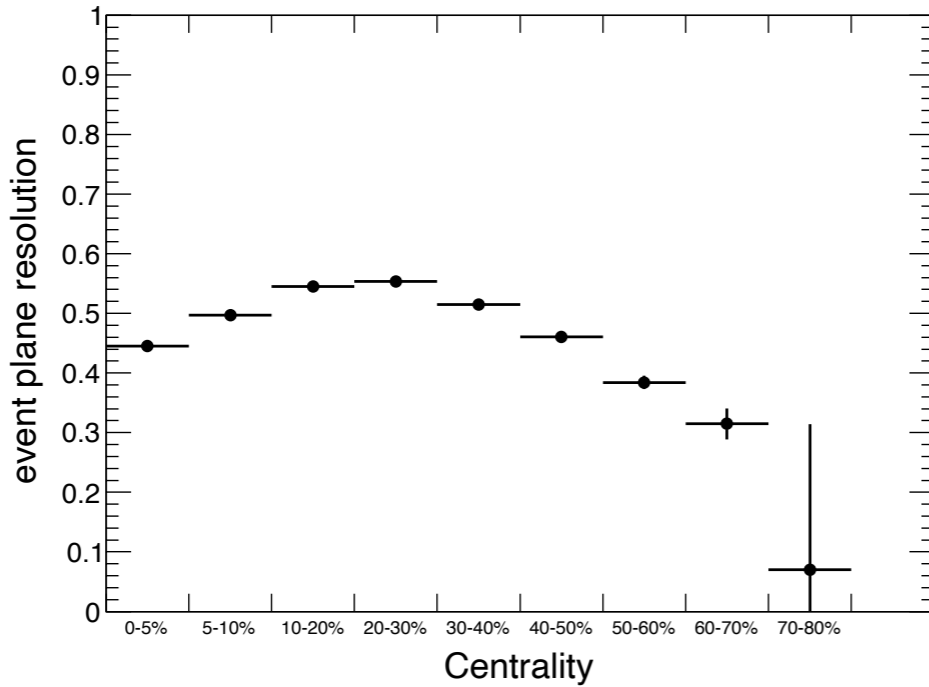
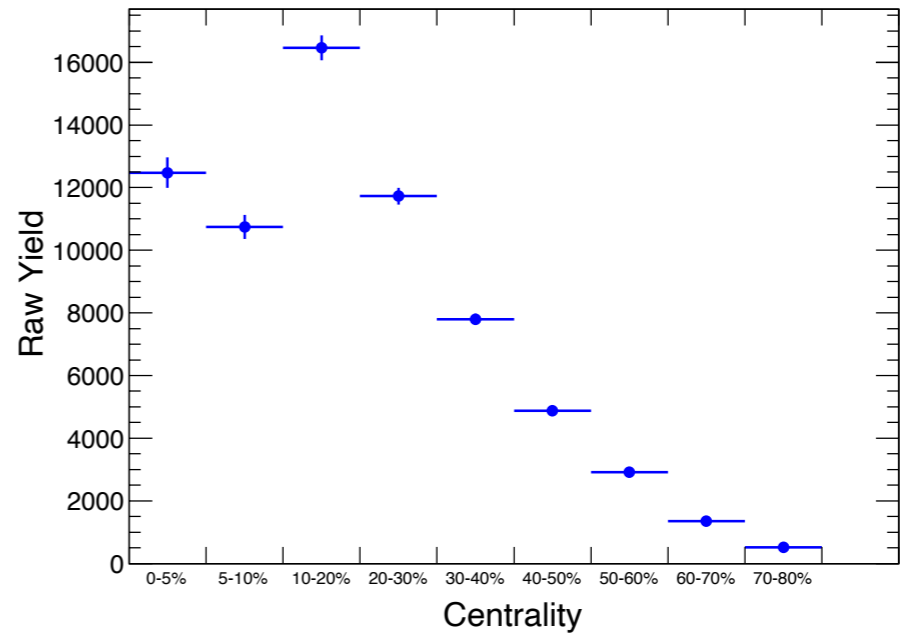
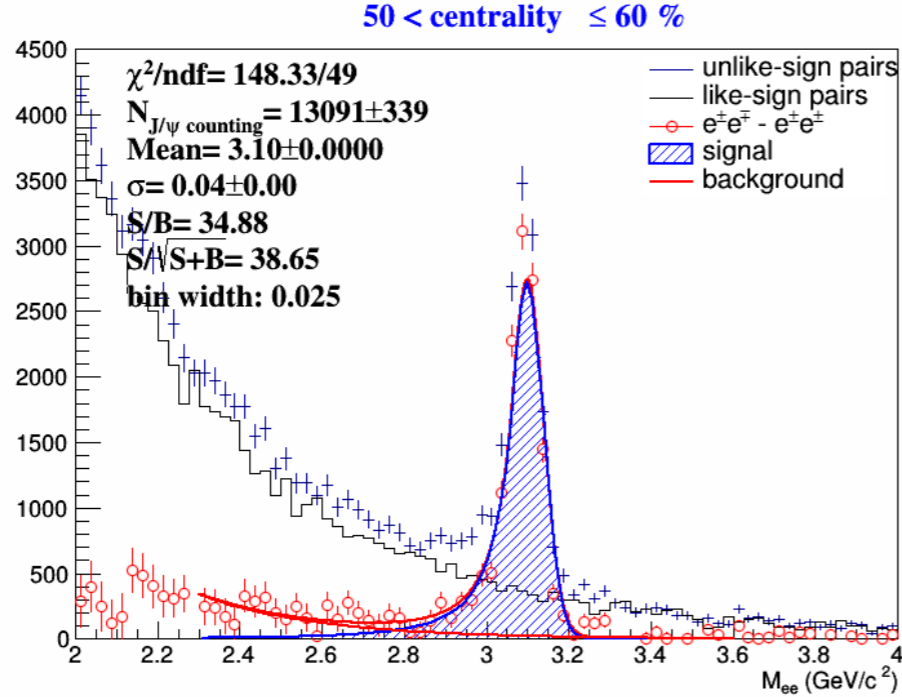
$A(1 + 2v_2 \cos(2(\phi - \Psi)))$

$\sin\Delta/\Delta = 1.01664, \Delta = 0.1\pi$

1.664% correction for the v2 results due to bin width

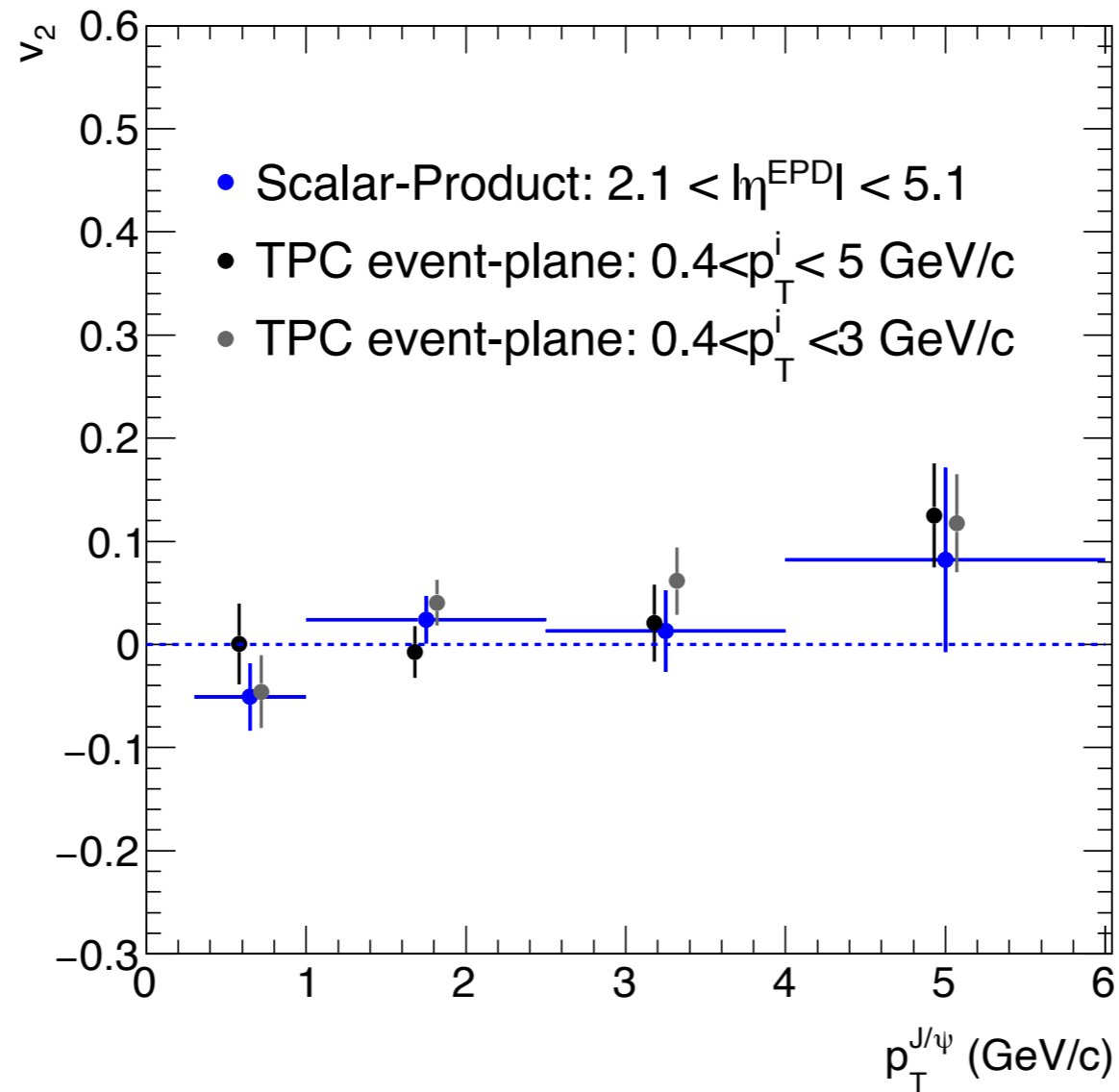


Total TPC event-plane resolution





J/ψ elliptic flow



- The J/ψ elliptic flow is consistent with 0
- Consistent results between scalar-product method and TPC event-plane method



Summary

- The final J/ψ v_2 is obtained by using scalar-product method and event-plane method
- Both results are consistent with each other
- Sys. uncert. estimation is ongoing.